



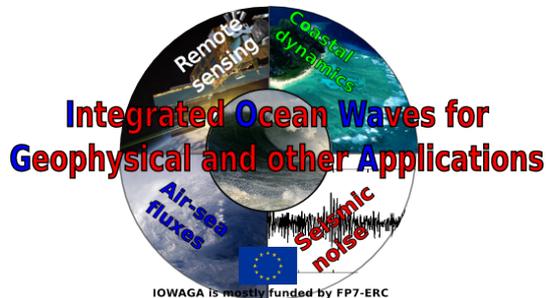
# Coastal Sea States Modeling and Observations

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kindly presented by Fabrice Collard



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And ERC Young investigator award « IOWAGA » (240009)



More stuff at <http://wwz.ifremer.fr/iowaga>



# A few words on numerical wave modelling ...

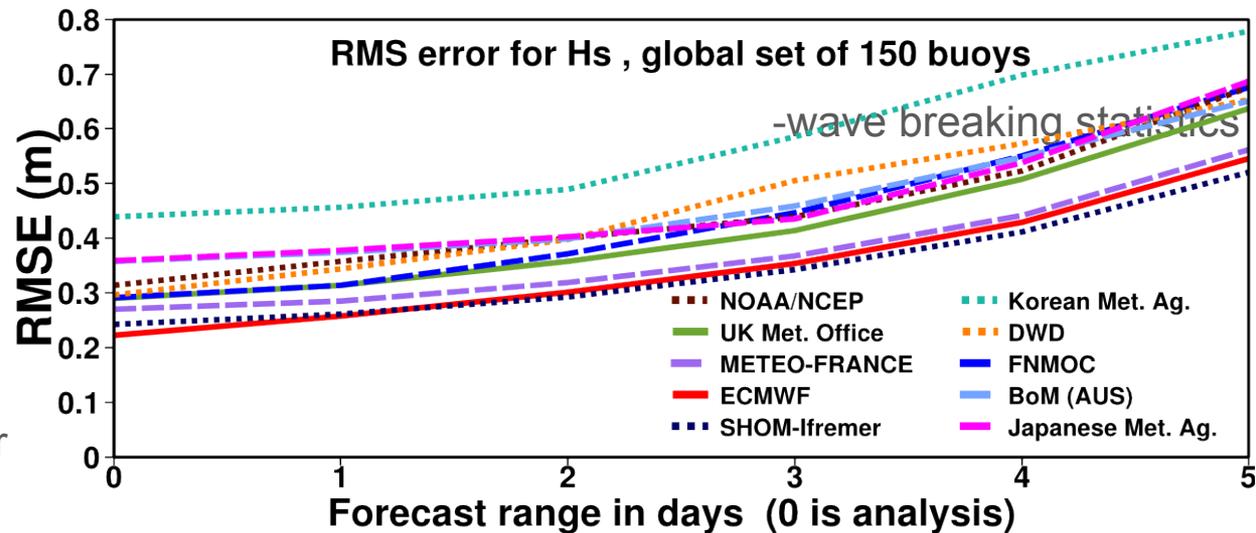
Wave models predict the **statistical properties** of the sea surface via the directional wave spectrum. From this we derive the **significant wave height** ( $H_s$ ) and many other parameters (mean square slope, velocities, spectrum of infragravity waves ...) that can also be used for **remote sensing**.

Efforts today, in the IOWAGA project and elsewhere, focus on :

- improving models
- extending their capabilities:

...  
Example of improvement:

- new **parameterizations** (Ardhuin et al. JPO 2010) without data assimilation at SHOM-Ifrermer & METEO-FRANCE lead to better results that old parameterizations with D.A. at ECMWF , for forecasts beyond 1 day



JCOMM wave model verification. Picture adapted from J.-R. Bidlot  
See JCOMM web site for more

NB: All three models (Ifrermer, ECMWF & Meteo-France) use the **same winds** (but different resolutions)  
Differences with others are mostly due to driving winds...



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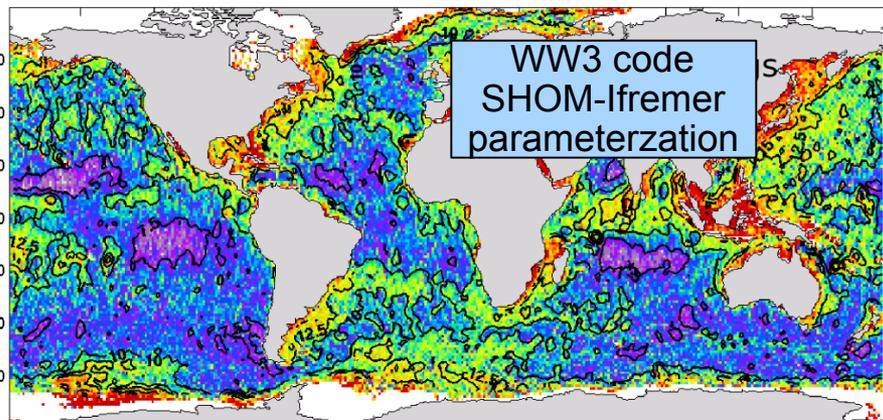
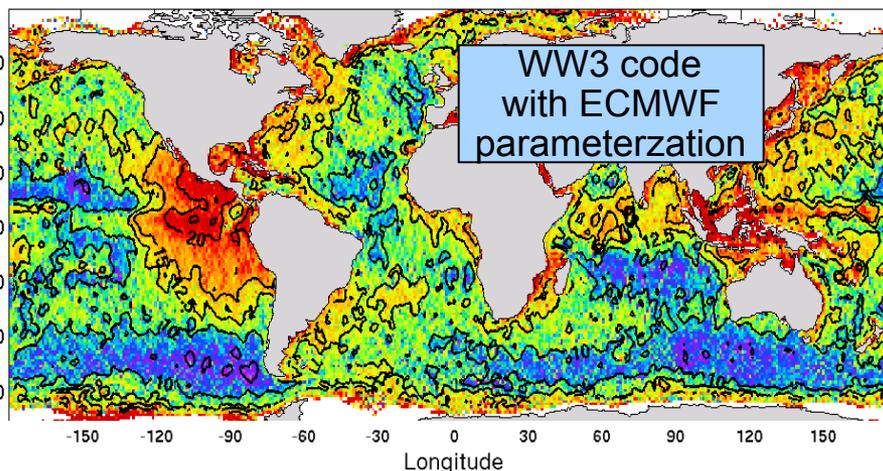
# The global view: Storms and swells



# 1. Global wave model errors

## A summary of recent progress

New parameterizations for wave breaking and dissipation are the biggest improvement thanks to the analysis of Envisat's ASAR (Ardhuin, Chapron & Collard GRL 2009)



Normalized RMS error for Hs (%)

Global mean normalized RMS error for Hs, using various parameterizations :

11.1% (SHOM-Ifremer 2008)

12.7% (ECMWF 2005)

13.8% (ECMWF 1992)

(compared to all 2008 data from JASON, GFO & Envisat, along-track averaged over 1 degree)

**Largest errors now:**

- western boundaries of oceans
- marginal ice zone
- **coastal areas**

**(resolution + winds + ? )**



So, what is so peculiar about coastal areas?



## 2. Coastal sea states are different ... and very diverse!!

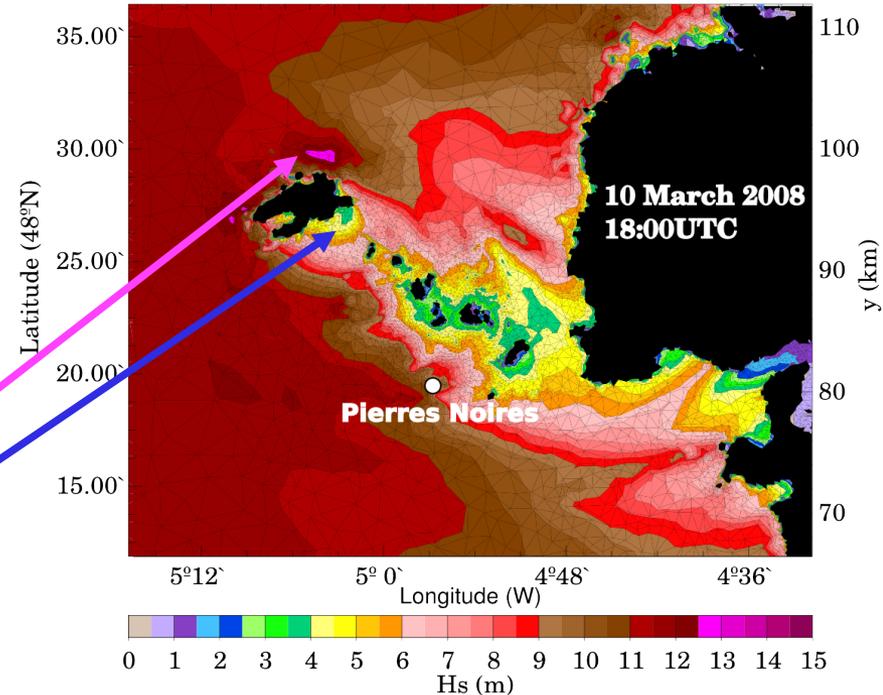


If coastal is defined by « short distance from the shoreline » ...  
then the most prominent feature is the variability  
in « wave age »: for the same wind speed you can  
get  $H_s=14$  m or  $H_s=0.5$  m ...

→ Very different sea states can still correspond to the  
same altimeter measurements ( $H_s$  and  $\sigma_0$ )  
→ SSB estimates are more likely to be wrong  
in coastal areas

→ Sea states can change dramatically within  
the altimeter footprint due to

Strong tidal currents  
island sheltering



Example of wave model snapshot  
(unstructured WAVEWATCH III routinely  
used for [www.previmer.org](http://www.previmer.org))

A 10-year database (+ forecasts) is at  
[www.tinyurl.com/yetsofy](http://www.tinyurl.com/yetsofy)

see also [wwz.ifremer.fr/iowaga](http://wwz.ifremer.fr/iowaga)

## 2. Coastal sea states are different ... and very diverse!!



If coastal is defined by « shallow water » ... then the wave height and slope statistics can also be different (change in dispersion properties ...)

→ Impact on SSB?  
Could be visible in Southern North Sea during Northerly storms (waves with long periods)

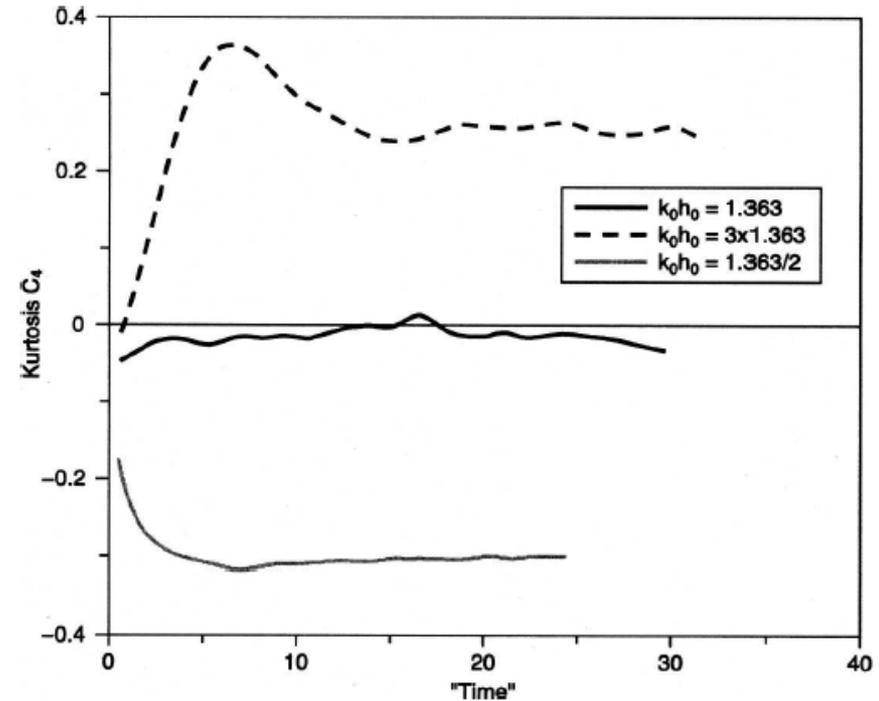
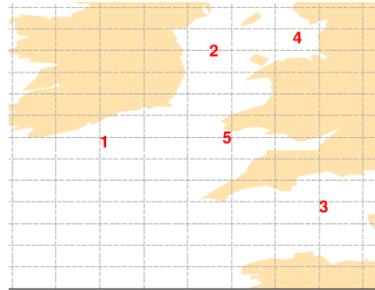


FIG. 5. Time evolution of kurtosis for  $BFI = 1$ . For deep-water ( $k_0 h_0 = 3 \times 1.363$ ) nonlinearly focused waves, there results positive kurtosis while for shallow water ( $k_0 h_0 < 1.363$ ) we have defocusing giving a negative kurtosis.

*Numerical model result, taken from  
Janssen and Onorato (J. Phys.  
Oceanogr. 2007)*

## 2. Coastal wave models ... they can be pretty good

For sheltered coastlines,  
Model results are not so  
Good as offshore... one  
Among the worst places  
are the Channel, Northern  
Mediterranean ...



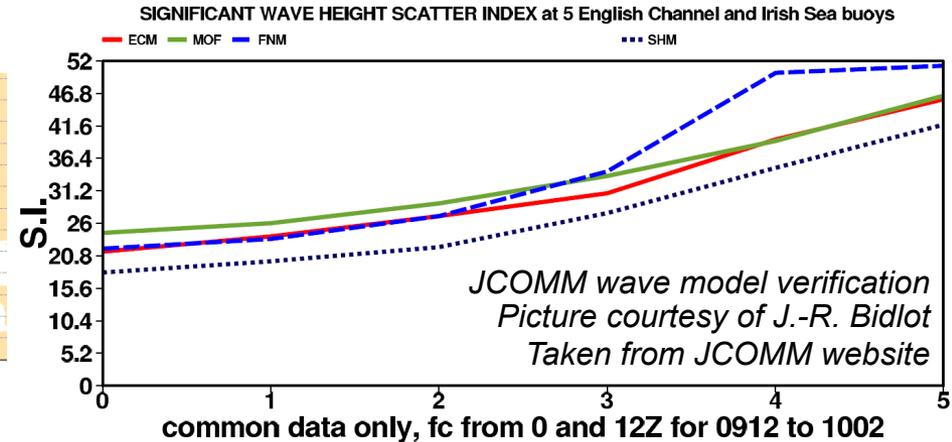
Scatter indices for  $H_s$  there are in the  
Range 17 to 30% ... even with the best  
models.

Many reasons for this:

- winds are more poorly predicted by NWP centers
- currents can be important and are not so well known (few forecast centers actually take currents into account: only SHOM-Ifremer at present)

- the dynamics of waves are more complex (younger waves, bottom friction ...) and still not so well modelled.

15% error is still not too bad for some applications



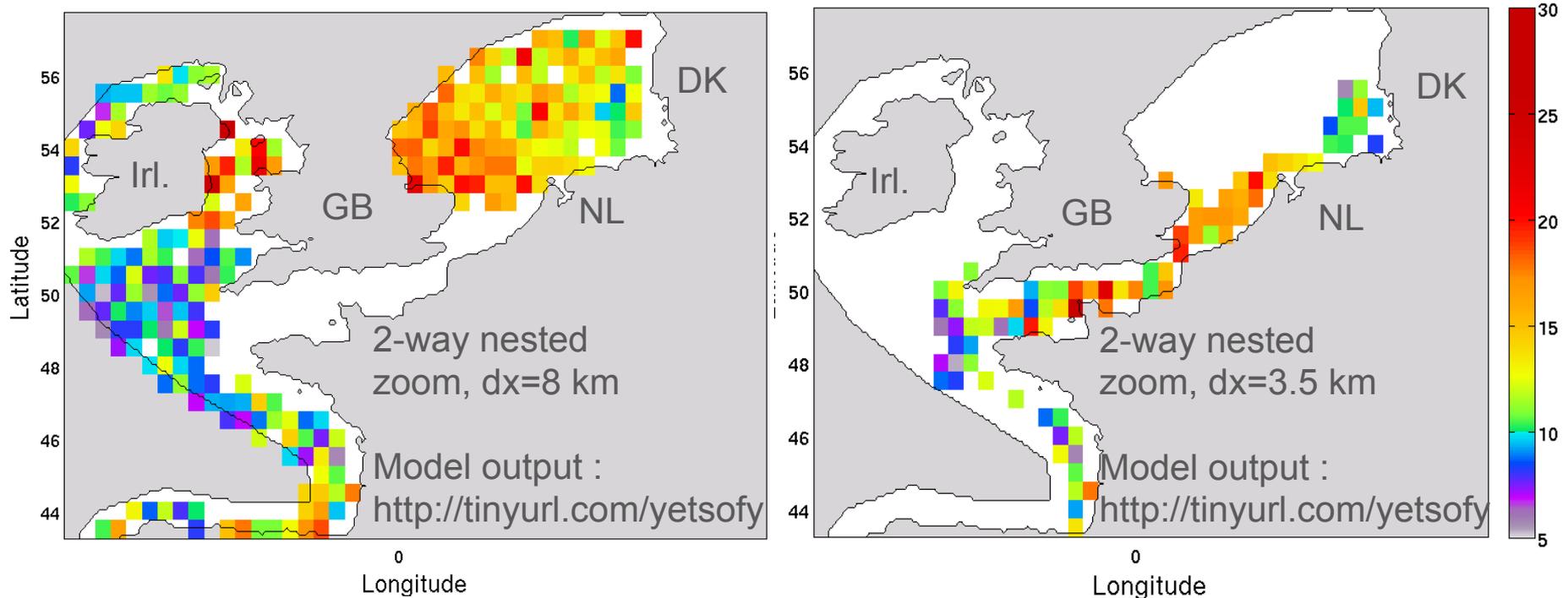
JCOMM wave model verification  
Picture courtesy of J.-R. Bidlot  
Taken from JCOMM website

JCOMM wave model verification. Picture adapted from J.-R. Bidlot  
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## 2. Coastal wave models ... they can be pretty good

Model resolution is an issue ... but not the main one

Below: validation of  $H_s$  against all altimeters from the 2-way nested grids of the SHOM-Iframer



For these runs (all year 2008) not tidal current was used. Finer resolution from 8 to 3 km does not improve significantly the southern North Sea results.

(NB: model – satellite statistics are computed for grid squares of  $0.5^\circ$ , much larger than model resolution)

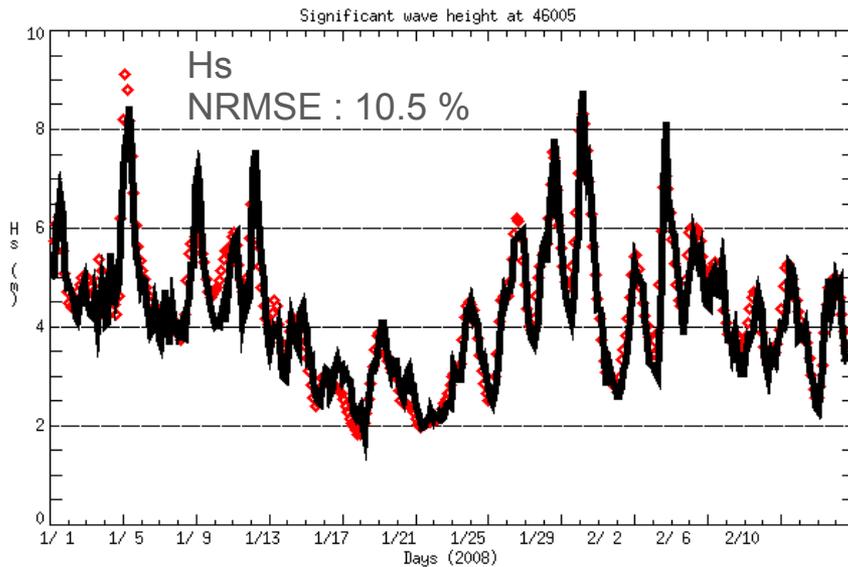
## 2. Coastal wave models ...

### Beyond Hs

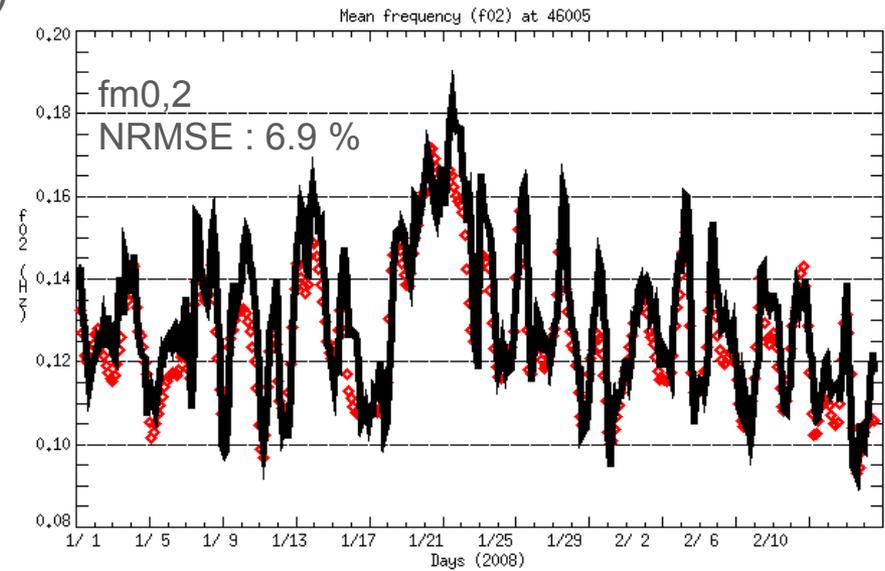
Many different quantities can be estimated from the wave spectrum.  
 Of particular engineering interest is the mean wave frequency  $f_{m0,2}=1/T_{m0,2}$   
 (because the rms wave-induced velocity at the sea surface is  $1.57 \cdot H_s \cdot f_{02}$ )

$$T_{m0,p} = \left[ \frac{\int_0^{f_{\max}} \int_0^{2\pi} f^p E(f, \theta) d\theta df}{\int_0^{f_{\max}} E(f) df} \right]^{-1/p}$$

### Validation in North-West Pacific (offshore)



NRMSE (%)	RMSE	Bias (%)	Corr.(r)	S. I.(%)
♦ 10,5	0,465	2,42	0,9423	10,2



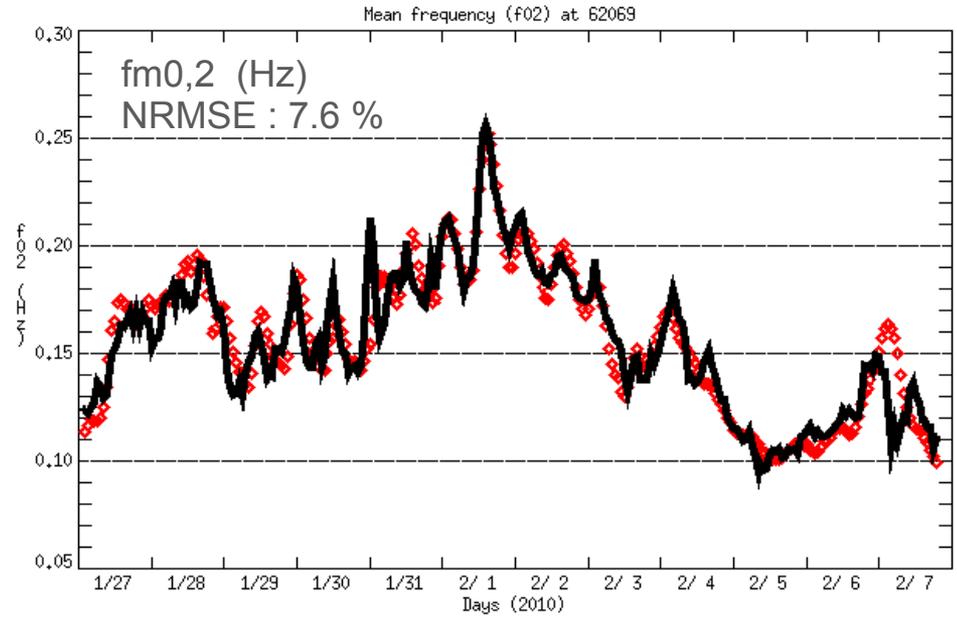
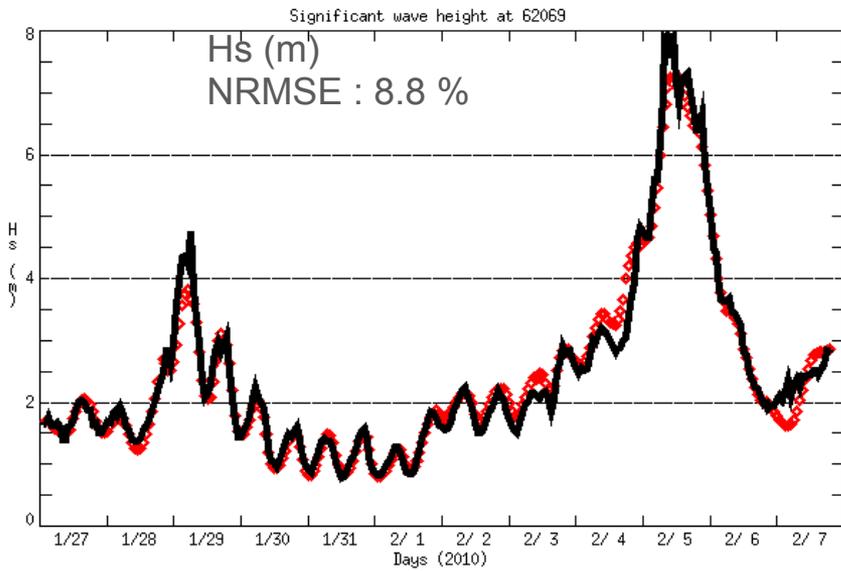
NRMSE (%)	RMSE	Bias (%)	Corr.(r)	S. I.(%)
♦ 6,9	0,009	-3,39	0,8988	6,0

Example of validation for Hs and fm02 at offshore buoy 46005 (North-West pacific) in 2008  
 Fm0,2 is underestimated by 4% on average at 46005 because there is still too much swell energy (low frequency) arriving there ... Model and data are averaged over 3 hours.

## 2. Coastal wave models ...

### Beyond Hs

#### Validation in North-West Atlantic (coastal)



NRMSE (%)	RMSE:	Bias (%)	Corr.(r):	S. I.(%)
8.8	0,254	-0,58	0,9862	8,8

NRMSE (%)	RMSE:	Bias (%)	Corr.(r):	S. I.(%)
7.6	0,012	0,18	0,9326	7,5

Example of validation for Hs and fm02 at buoy « Pierres Noires » (WMO 62069) in 2010  
 Periodic modulations are caused by tidal currents. These are HOURLY time series and statistics !!

## 2. Coastal wave models ...

### Beyond Hs

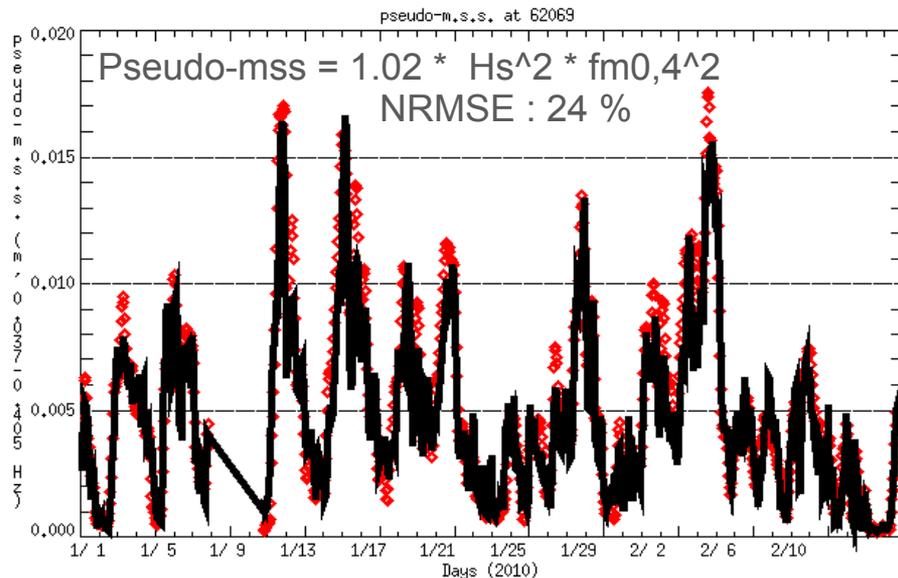
Many different quantities can be estimated from the wave spectrum.

For remote sensing the high frequency tail is very important

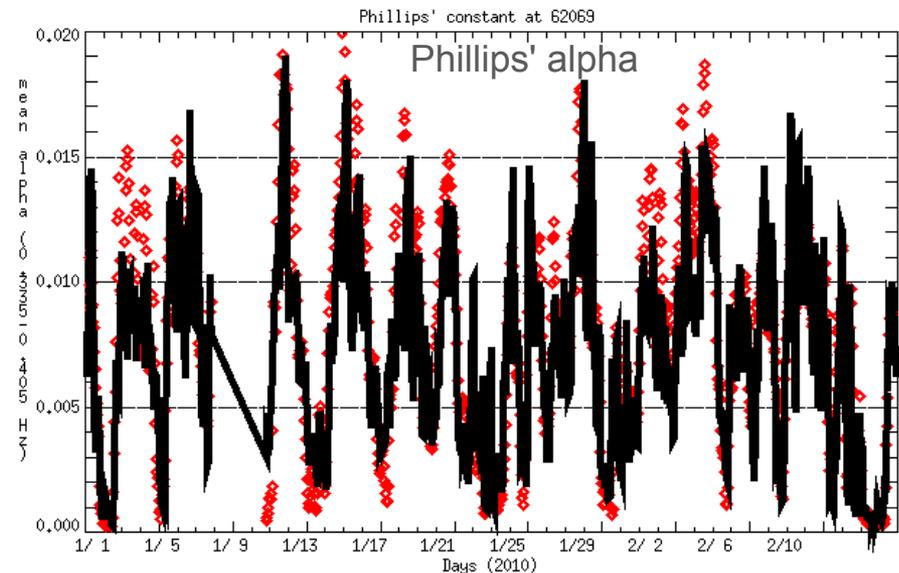
(backscatter of radar, brightness temperature ...)

Unlike ECMWF parameterizations, latest wave dissipation functions (Ardhuin et al. JPO 2009, 2010) have a good skill for estimating the higher moments of the frequency spectrum :

Validation in North-East Atlantic (coastal: « Pierres Noires »)



NRMSE (%):	RMSE:	Bias (%):	Corr.(r):	S. I.(%):
◇ 23,9	0,001	8,41	0,9409	22,3



NRMSE (%):	RMSE:	Bias (%):	Corr.(r):	S. I.(%):
◇ 32,8	0,003	8,55	0,8203	31,6

NB: mss is a **quadratic** parameter, thus an error twice bigger compared to Hs is actually really good!!



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## Perspectives: Taking wave models seriously



### 3. Estimating new parameters

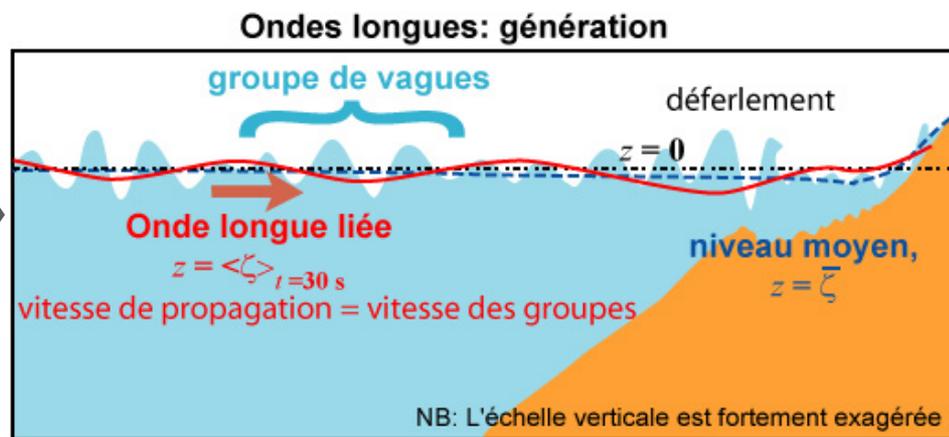
Ocean waves define the sea surface motions in the frequency range 0.05 to 10 Hz (wavelengths of 600 m to millimeters)

Waves also drive larger scale motions (infragravity waves ) because they are nonlinear

IG waves are generated as « bound waves » by the nonlinear difference interaction of « normal waves » of frequencies  $f_1$  and  $f_2$  and wavenumbers  $k_1$  and  $k_2$ :

$$\rightarrow f_{IG} = f_1 - f_2 \quad (0.001 \text{ to } 0.05 \text{ Hz})$$

$$\rightarrow \text{and } k_{IG} = k_1 - k_2$$



At this stage the wavelength of IG waves is the length of wave groups (0.5 - 3 km). Forced IGs are strongly amplified at the coast (amplitude can reach 1 m on the beach face). Where waves break, these IG waves are released as free modes, mostly trapped on continental shelves. Free waves have the same frequency (0.001 to 0.05 Hz) ... but the wavelength is now much larger :

For  $D = 4000$  m and a typical  $f_{IG} = 0.02$  Hz, this gives  $L_{IG} = 9$  km

### 3. Estimating new parameters

The energy level of forced IG waves can be predicted pretty well with a good wave model using the well-known second order theory

$$E_{2d}(f) = 2 \int \int \int T^2(f' + f, -f, \theta - \theta') E(f' + f, \theta) E(f', \theta') df' d\theta d\theta' \quad (1)$$

where  $T(f_1, f_2, \Delta\theta) = \frac{(r_1+r_2)[r_2(k_1^2-r_1^4)+r_1(k_2^2-r_2^4)]+2(r_1+r_2)^2(k_1k_2\cos(\Delta\theta)-r_1r_2)}{(r_1+r_2)^2-r_d^2} - k_1k_2\cos(\Delta\theta) + r_1^2r_2^2$

$$+ (r_1^2 + r_2^2)$$

$$r_1 = (2\pi f_1)/\sqrt{g}$$

$$r_2 = (2\pi f_2)/\sqrt{g}$$

$$k_d = k_1^2 + k_2^2 - 2k_1k_2\cos(\Delta\theta)$$

$$r_d = \sqrt{k_d \tanh(k_d D)}$$

and  $k_1 \tanh(k_1 D) = (2\pi f_1)^2/g$   
 $k_2 \tanh(k_2 D) = (2\pi f_2)^2/g$

This can be measured with bottom-mounted pressure sensors (Herbers et al. JPO 1992, 1994) Models can also be verified with forecast of seiching motions in small harbors, where IG waves get amplified.

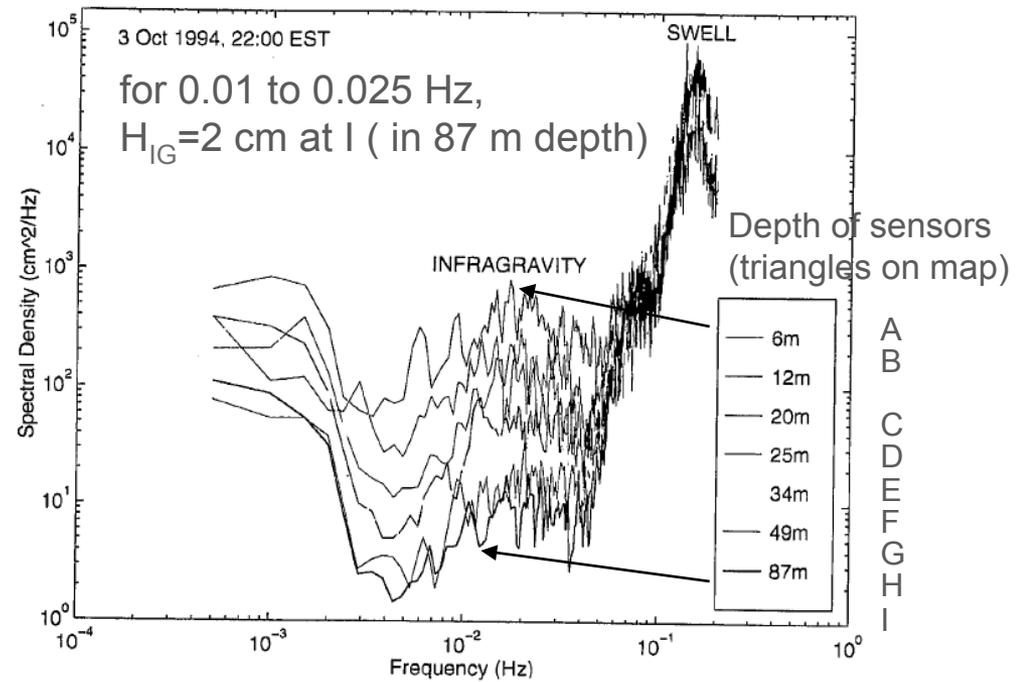
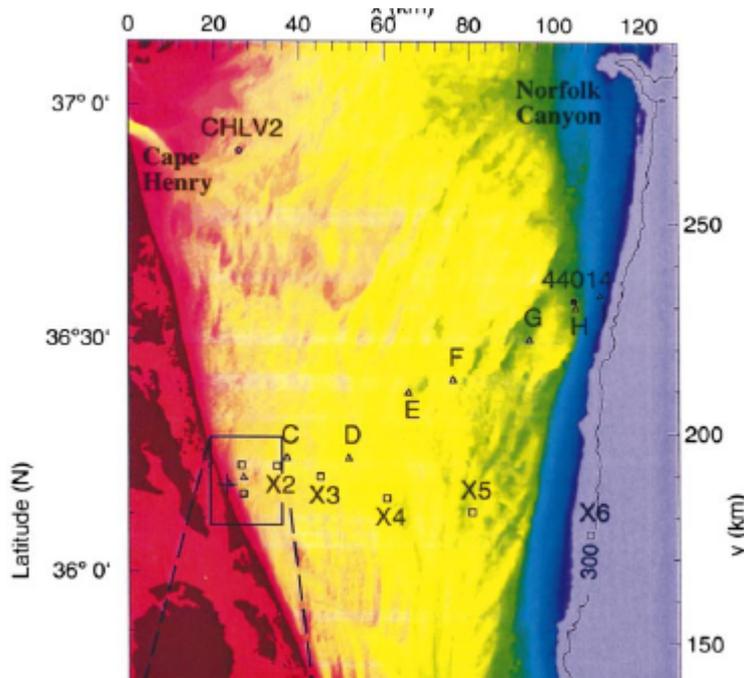
# BONUS SLIDE: Infragravity waves and Sea level remote sensing

## Some numbers

1. The frequency spectrum of IG waves is generally very broad.

Example from the U.S. East Coast with bottom pressure measurements across the shelf during the DUCK94 experiment.

(from Evangelidis 1996)



The highest recorded value in 87 m depth was 12 cm during DUCK94.  
(data courtesy of T.H.C. Herbers, NPS, Monterey).

### 3. Estimating new parameters

We verify the estimate of the IG significant wave height in the case of Port Tudy harbor (Groix, France) which has

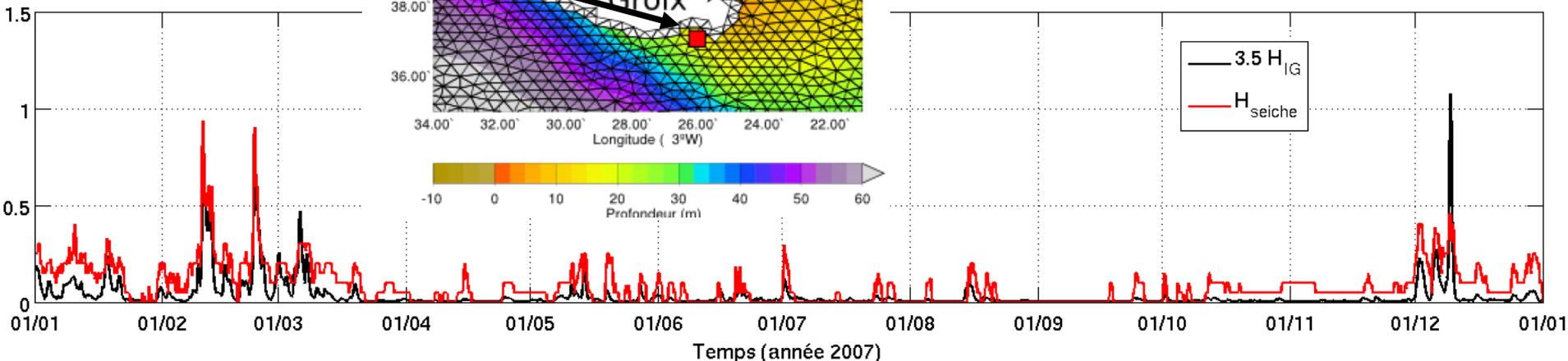
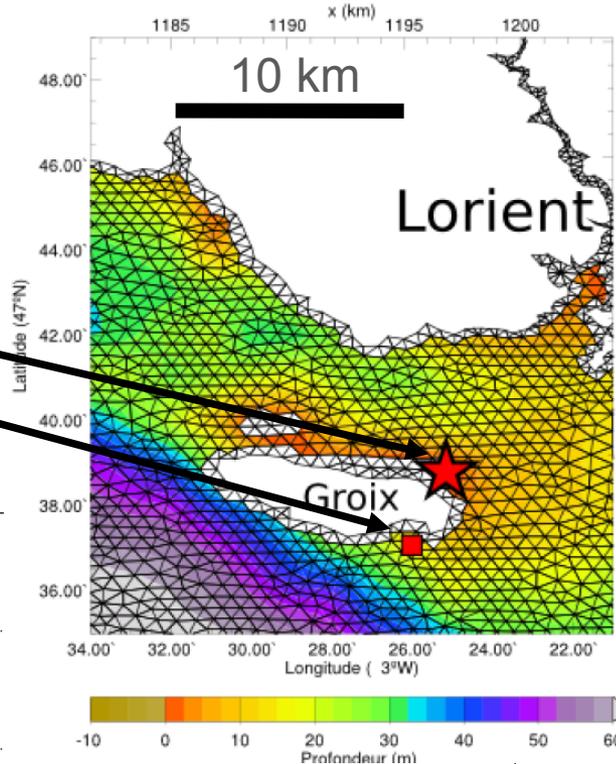
$$H_{IG} = 4 \sqrt{\int_{f_{\min}}^{f_{\max}} E_{2d}(f) df}$$

a resonance at a period = of 270 s  
 We thus take  $f_{\min}=0.003$  and  $f_{\max}=0.005$  Hz.

The seiche is roughly proportional to  $H_{IG}$  ( $H_{\text{seiche}} \sim H_{IG}$ ) as expected.

Forced IG waves are amplified by shoals to the East of Groix, and released as free edge wave trapped around the island. (wavelength > 3 km)

Harbour  
 Model output point



### 3. Estimating new parameters

The detailed modelling of free IG waves from forced IG forcing is still a challenge but

- significant progress has been made in the wave → IG transformation models (e.g. Reniers et al., Coastal Engng 2010)
- There is a need for IG wave modelling for seismic studies (Webb, Nature 2007)
- The wave models themselves are now getting better spectra (frequency and directional).
  - A stochastic modelling of IG waves appears feasible; but will require important validation efforts and model developments for the forced → free transformation, and new numerical techniques for an efficient propagation of the fast IG waves.
  - This can be useful for flagging future HR altimetry data, especially in coastal areas. NB: high IG level do not only occur with big waves, but also with gentle but long-period swells! A good proxy is  $H_s * T_p^2$